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Abstract

Bernard Teissier in 1977 introduced the notion of the *jacobian New*ton polygon. The jacobian Newton polygon of a plane analytic curve f(x,y) = 0 is the Newton polygon of the discriminant of the map $(l, f): (\mathbf{C}^2, 0) \rightarrow (\mathbf{C}^2, 0)$ where l is a sufficiently general linear form. The equation of the discriminant can be obtained by eliminating variables from the system of equations. In many cases, for example if f is a Weierstrass polynomial, this can be done by using the usual discriminant of a polynomial in one variable. Having the equation of a discriminant we immediately get its Newton polygon.

We show that the curve f(x,y) = 0 is irreducible if and only if the jacobian Newton polygon of f = 0 has certain arithmetical properties. Using this result we propose the procedure of checking the local analytical irreducibility of plane algebraic curves. We also consider the case of branches at infinity.

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